

$$P(X=k) = \binom{n}{k} (p)^k (1-p)^{n-k}$$

1. `rbinom(x, size, prob)`
Random values from
`Bin(n=size, p=prob)`

2. `pbinom(q, size, prob)`
Probability of observing
 $k=q$ successes OR less
from `Bin(n=size, p=prob)`

3. `qbinom(p, size, prob)`
Number of successes
from `Bin(n=size, p=prob)`
to sum total probability
to p

$$N(\mu, \sigma^2)$$

4. `rnorm(n, mean, sd)`
 n Random values from
`N(mean, sd2)`

5. `pnorm(q, mean, sd)`
Probability of observing
 q or less on `N(mean, sd2)`

6. `qnorm(p, mean, sd)`
Value on x -axis
required to have
total probability
to the left be p