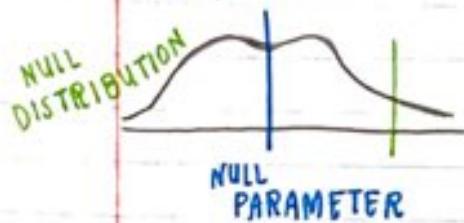


PART 3 REVIEW

"Formal" Hypothesis Testing

- * Does our statistic "fit in" with the believed set of values?



Hypotheses

$$\begin{array}{ll} H_0: \mu = 0 & H_0: \mu_1 = \mu_2 \\ H_1: \mu \neq 0 & H_1: \mu_1 \neq \mu_2 \end{array}$$

- * Is our parameter \downarrow to value?
 - * Are "parameters equal?"
 - * These are setting-specific! Read the Q!
- * Two/two tailed affects the p-value.

Assumptions

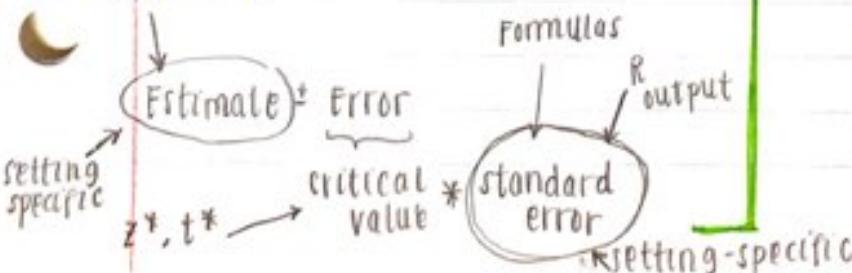
These are setting specific as well, but you need RANDOM SAMPLES!

- * Random
- * shape?
- * sample size? Counts?
 n big?

What You Know

- HT**
- 1. Assumptions
 - 2. Write hypotheses
 - 3. Calculate test statistic
 - 4. P-value, interp
 - 5. Conclude

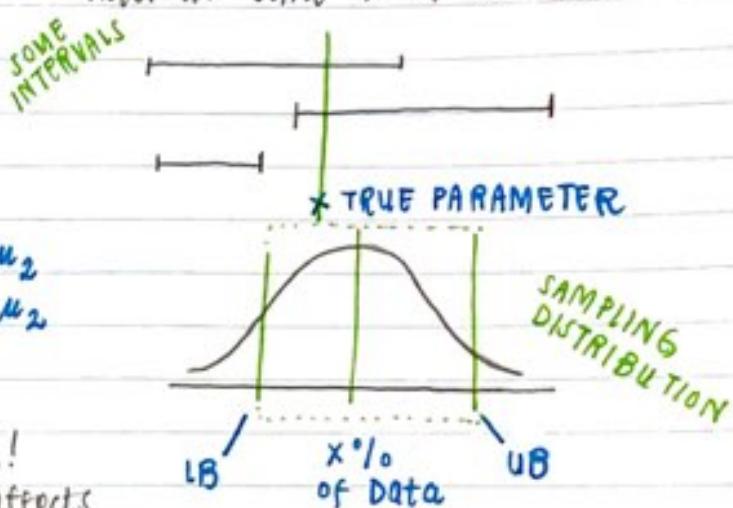
CI



Confidence Intervals

* For every HT, there exists a CI!

- * Our CI is generated by a method that generates true-parameter-containing intervals some % of the time.

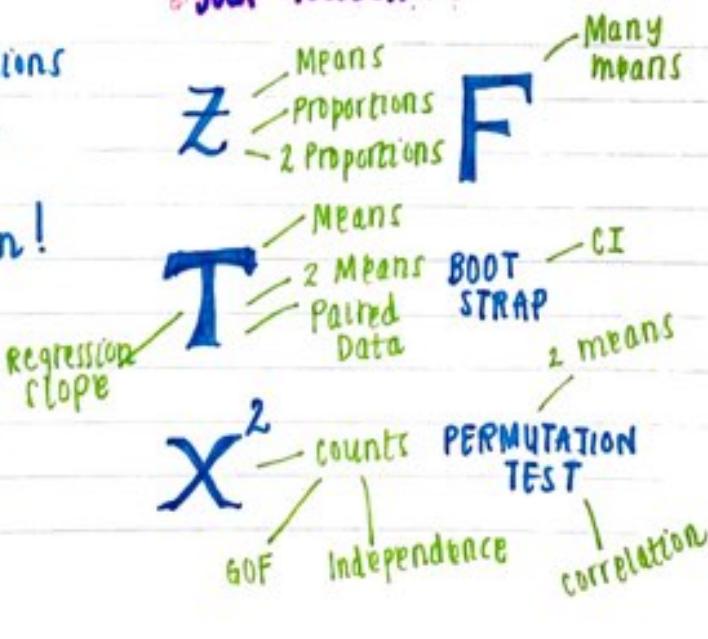


* Recall the sampling distribution has fixed n .

* We capture 95% of the sampling distribution by providing quantiles.
(x -values!)

$$LB = 2.5, UB = 97.5$$

Your Toolbox



THE DATA

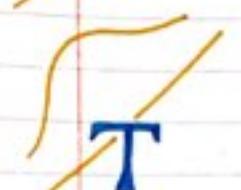
 Z

0.5
0.7
1
0.2

* Measurements on some value

0	1
1	0
0	0
1	0
1	0

* Get proportions by taking the mean of a binary column

 T

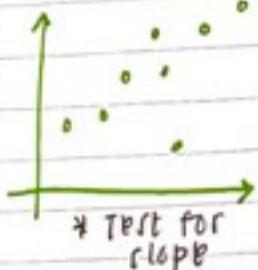
-0.2
-0.3
0.2
0.5

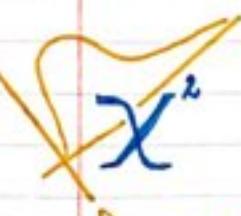
* same

1	5
1	7
2	6
1	5

* for 2 values

A	B	D = B-A
1	0	1
5	2	3
1	0	1
3	1	2



 χ^2

10
20
17

* k categories
* counts
(positive)

11	30	12
12	10	35

* r, c categories
* also counts

 F

A	:	:	:
B	:	:	:
C	:	:	:

* k groups
* Measurements

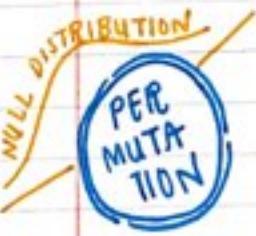
A	B	B	\bar{x}
---	---	---	-----------

* Data can be in different formats

 SAMPLING OUT

1
3
2
1
3

* one small representative sample (random)
* Measurements
* estimate the parameters

 PER MUTATION

5	Daly City
6	Embarcadero
3	Daly City
4	Daly City
7	Embarcadero

* Two small samples
* Measurements and labels



* We can calculate many correlations
* switch y's and Y's for labels